

## UNIVERSITY OF ILLINOIS

## DIGITAL COMPUTER

LIBRARY ROUTINE K 4 - 171

**TITLE** Analysis and Intercorrelation of Scores Based on Paired Comparisons

**TYPE** Entire Program

**DURATION** Input program 21 seconds  
 Read data  $8N r[e(e-1)/2] \times 10^{-3}$  seconds  
 Computation  $N(103.2 + 8.3e + 63.5[e(e-1)/2]) \times 10^{-3}$  seconds  
 Punch results  
 a. Scores (optional)  $458Ne \times 10^{-3}$  seconds  
 b. Sums and sums of squares (optional)  $2.1 + .64e + .69[e(e-1)/2]$  seconds  
 c. Correlation coefficients  $.2e + .4[e(e-1)/2]$  seconds

**ACCURACY** The accuracy of the scores, sums, and squares is as printed. The accuracy of the correlation coefficient depends on the size of the correlation, the variances and means of the elements being correlated and the number of groups. The absolute maximum of the error is given by the expression

$$E = \frac{\bar{E}_{\max}}{N\sigma_{\min}^2 \cdot 10^2 + \bar{E}_{\max}} \text{ where } \sigma_{\min}^2 \text{ is}$$

the smallest of the element variances and  $\bar{E}_{\max}$  is the largest of the element means. An error this large is to be expected less than 1% of the time.

**METHOD OF USE** The master tape is read in until it stops, when the parameter tape is read in. The master tape is reinserted and read until it stops again, when the data tape is inserted. When the machine is started again the data are read, one group at a time, and the scores associated with the group are punched. (If the machine is started with the white switch instead of the black switch after insertion of the data, the print will be by-passed.) When all the data have been read the master tape is inserted again and read until it stops. Raising the black switch at this point causes the sums and sums of squares of the scores to be printed, as well as the sums and sums of squares of proportions for individual pairs. Raising the

white switch at this stop causes this print to be by-passed. In either case, the remainder of the program is read in and the upper half-matrix of off diagonal correlation coefficients punched.

PURPOSE

The program may be used whenever N groups of raters have chosen between each of the  $e(e-1)/2$  pairs of statements or objects formed by all possible pairings of e elements. The score for each group with respect to each element is taken as

$$i = e$$

$$E_i = \sum_{i=1}^e p_{ij}, \quad \text{where } p_{ij} \text{ is the proportion of the raters who chose the element } e_i \text{ in preference to the element } e_j.$$

Intercorrelation of the scores,  $E_i$  and  $E_j$ , will be biased if the proportion based on the pair  $e_i e_j$  is included, since  $p_{ij} = 1 - p_{ji}$ . Therefore to obtain the intercorrelation we base it on the scores

$$E'_i = E_i - p_{ij} \text{ and } E'_j = E_j - (1 + p_{ij})$$

The usual formula for the product-moment correlation becomes, with this modification

$$r_{E_i E_j} = \frac{N(\sum_{i,j} E_i E_j - \sum_i E_i + \sum_i p_{ij} - \sum_j p_{ij} + \sum_{i,j} p_{ij}^2)}{[N(\sum_i E_i^2 - 2\sum_i p_{ij} + \sum_{i,j} p_{ij}^2) - (\sum_i E_i - \sum_i p_{ij})^2]^{1/2}} * \\ * \frac{-(\sum_i E_i - \sum_i p_{ij})(\sum_j E_j - N + \sum_j p_{ij})}{[N(\sum_j E_j^2 - 2\sum_j p_{ij} + 2\sum_{i,j} p_{ij} + N - 2\sum_i p_{ij} + \sum_{i,j} p_{ij}^2) - (\sum_j E_j - N + \sum_j p_{ij})^2]^{1/2}}$$

In order to compute  $r_{E_i E_j}$ , therefore, it is necessary to accumulate, as the data are read in, the values  $\sum_i E_i$ ,  $\sum_i E_i^2$ ,  $\sum_i p_{ij}$ ,  $\sum_i p_{ij}^2$ ,  $\sum_i p_{ij}$ ,  $\sum_j p_{ij}$ . These values are accumulated over all groups and the punching described under Method of Use performed before the correlation coefficients are calculated and punched.

The program will handle up to sixteen elements. The

\* The formula, being too long for one line, has been broken here.

number of groups which may be scored without exceeding capacity is found from the formula

$$N = \sqrt{\frac{5.5 \times 10^7}{(e-2)^2}}$$

In the case of the maximum number of elements  $N = 530$ .

The program may be used for any number of raters in any group, including the special case where each rating is performed by one rater.

PARAMETER TAPE

A parameter tape must be prepared as follows:

00 5k

00 F00eF      e = number of elements

00 FOONF      N = number of groups

00 F00rF      r = number of digits required to specify  
                  largest rater group

24 999N

DATA TAPE

The data are punched in the following manner. Let  $a_{ij}$  be the number of raters who responded to the pair formed by elements  $e_i, e_j$  by choosing  $e_i$ , and  $b_{ij}$  be the number who responded by choosing  $e_j$ . Then the data tape is punched

$a_{12}, b_{12}, a_{13}, b_{13} \dots a_{1e}, b_{1e}$

•     •      $a_{23}, b_{23}, \dots a_{2e}, b_{2e}$

•

•

•

$a_{e-1}, b_{e-1,e}$

Each frequency is punched without sign, but must contain the number of digits specified as r in the parameter tape. No terminating symbols are necessary.

OUTPUT

The printed results contain:

1. The scores for each group with respect to each element

$$j = e-1$$

$$E_i = \sum p_{ij} \\ j = 1, j \neq i$$

This value is printed as a five digit number with 3 figures

to the right of the decimal. The scores are arranged 6 per line, with a double line feed between the scores for successive rater groups.

2. Sum E is printed, followed by the e summed values  
 $g = N$

$\sum_{ig}^E$  printed 6 per line. This value is printed as a 7  
 $g = 1$

digit number with 3 places to the right of the decimal.

3. Sum E SQ is printed, followed by the e summed values,

$g = N$   
 $\sum_E^2$   
 $ig$   
 $g = 1$

This value is printed as a 9 digit number with 3 places to the right of the decimal.

4. Sum P is printed, followed by the  $e(e-1)/2$  summed values,

$g = N$   
 $\sum_p^2$   
 $ijg$   
 $g = 1$

printed 6 per line. This value is printed as a 6 digit number with 3 places to the right of the decimal.

5. Sum P SQ is printed, followed by the  $e(e-1)/2$  summed values,  
 $g = N$

$\sum_p^2$   
 $ijg$   
 $g = 1$

printed 6 per line. This value is printed as a 6 digit number with 3 places to the right of the decimal.

6. The  $e(e-1)/2$  correlation coefficients which form the upper-half, off-diagonal elements of the matrix are punched.

DATE	February 7, 1954
CODED BY	G. C. Stone
APPROVED BY	J.P.Nash

LOCATION	ORDER		NOTES
	Routine X 1		
	00 8K		
0	00 F		
	00 F		
1	00 205F		
	00 205F		
2	L4 221F		
	40 221F		
3	L4 237F		
	40 237F		
4	50 253F		
	75 253F		
5	L4 373F		
	40 373F		
6	L4 493F		
	40 493F		
7	L4 613F		
	40 613F		
8	L4 733F		
	40 733F		
9	L4 853F		
	40 853F		
10	00 F		
	00 1F		
11	00 1F		
	00 F		
12	00 1F		
	00 1F		
13	00 F		
	00 ( )F	by interlude in 74F ff. (e-1)	
14	00 F		
	00 ( )F	by interlude in 74 ff. e(e-1)/2	
15	00 F		
	00 F		
16	00 F		
	00 (N)F	by interlude in 74 ff.	

LOCATION	ORDER		NOTES	PAGE 2
	24 999N 00 25K Routine N 1 00 45K Routine P 1 00 74K L5 3F 40 F		Parameters inserted here	
0	10 18F 40 21F 50 21F 75F 10 1F S5 F 40 22F L5 4F 40 24F 26 999F 26 74N 00 74K		Interlude	
1			e(e-1)	
2				
3				
4				
5				
0	L5 12F 40 14L 42 12L L5 13F 40 13L L5 14F 42 15L 46 16L L1 22F 40 7F	from 204F or 208F	Read scores and form $p_{ij}$ , $p_{ij}^2$ , $\sum p_{ij}$ , $\sum p_{ij}^2$	
1			Set addresses and tests	
2				
3				
4				
5	50 (r)F 50 5L 26 25F 40 5F	from 24', by 27	Set item count	
6	50 (r)F 50 7L		To N 1 to read $a_{ij}$ and return	
7		by 27		

LOCATION	ORDER		NOTES	PAGE 3
8	26 25F L4 5F		To N 1 to read $b_{ij}$	
9	00 1F 40 6F			
10	50 23F 26 11L		Clear Q Waste	
11	L5 5F 66 6F			
12	7J 25L 40 ( )F	by 1, 18	$a_{ij}/2(a_{ij} + b_{ij}) = p_{ij}/2$ $p_{ij} \times 10^3 \times 2^{-39}$	
13	L4 ( )F 40 ( )F	by 2, 20 by 2, 20	$\sum p_{ij}$	
14	50 ( )F 75 ( )F	by 0, 21 by 0, 21		
15	S5 F L4 ( )F		$\sum p_{ij}^2$	
16	40 ( )F	by 3, 23		
17	F5 7F 40 7F			
18	36 100F F5 12L		Have all $p_{ij}$ 's been formed to form E routine?	
19	40 12L L5 13L			
20	L4 20F 40 13L			
21	L5 14L L4 20F		Adjust addresses	
22	40 14L L5 16L			
23	L4 19F 40 16L			
24	F5 15L 40 15L			
25	26 5L 00 F 00 2000F		Loop	

LOCATION	ORDER	NOTES	PAGE 4
26	L5 5F		
	00 20F		
27	46 5L		
	46 7L	Interlude	
28	26 999F		
	26 26L		
	26 1N		
	00 100K	Form $E_i, \Sigma E_i, \Sigma E_i^2$	
0	92 135F		
	L5 12F		
1	42 12L		
	42 19L		
2	L5 9F		
	42 29L		
3	L5 10F		
	40 25L	Set addresses and test constants	
4	L5 11F		
	40 28L		
5	41 7F		
	41 6F	from 39, 43	
6	41 2F		
	41 3F		
7	L5 21F		
	LO 7F		
8	40 5F		
	L1 7F	Switch	
9	32 19L		
	L5 7F	Skip to add cycle on 1st test only	
10	LO 18F		
	40 4F	Set address of subtraction order for first subtraction	
11	L4 12F		
	42 12L		
12	L5 44L	from 19	
	LO ( )F	by 1, 11, 16	$(1 - p_{ij}) \times 10^3 \times 2^{-39}$
13	L4 6F		
	40 6F		

LOCATION	ORDER		NOTES	PAGE 5
14	F5 2F			K 4
	40 2F			
15	L5 21F			
	L0 2F			
16	L4 12L			
	40 12L			
17	L5 4F			
	L0 2F			
18	36 12L			Test for end of subtraction cycle
	L1 5F			
19	32 24L			Skips add cycle on last E
	L5 ( )F	from 9', 24 by 1', 21		Start add cycle
20	L4 6F			
	40 6F			
21	F5 19L			
	40 91L			
22	F5 3F			
	40 3F			
23	L0 5F			
	32 24L			End of add cycle?
24	22 19L			Loop
	L5 6F	from 23'		
25	L4 ( )F	by 3, 34		
	40 ( )F	"		$\Sigma E_{ij}$
26	50 6F			
	75 6F			$E_j^2 \times 10^6 \times 2^{-39}$
27	S5 F			
	26 28L			Waste
28	L4 ( )F	by 4, 36		$\Sigma E_i^2$
	40 ( )F			
29	L5 6F			
	40 ( )F	by 2, 37		
30	50 52F			
	50 30L			
31	(26 45F)			To P 1 May be modified by by-pass
	F5 7F			

LOCATION	ORDER		NOTES	PAGE 6
32	40 7F F0 21F			
33	36 146F L5 25L		E = e? to $E_i E_j$ routine	
34	L4 20F 40 25L			
35	L5 28L L4 20F		Adjust addresses	
36	40 28L F5 29L			
37	40 29L L5 7F			
38	L0 45L 36 40L	from 42		
39	92 967F 22 5L		Line feed? 2 spaces	
40	40 F L3 F	from 38	Loop	
41	32 42L L5 F		Line feed?	
42	26 38L 92 131F	from 41		
43	22 5L 00 F		Loop	
44	00 F 00 1000F			
45	00 F 00 6F 00 146K			
0	F5 9F 46 4L		Form and store $E_i E_j$	
1	42 4L 41 5F			
2	L5 15F 40 6L		Set initial addresses	
3	L1 21F 40 4F			

LOCATION	ORDER	NOTES	PAGE 7	K 4
4	50 ( )F	by 0, 14 from 11		
	75 ( )F	by 1, 9, 16	$E_i E_j \times 10^6 \times 2^{-39}$	
5	S5 F		Waste	
	26 6L			
6	L4 ( )F			
	40 ( )F		$\sum E_i E_j$	
7	F5 4F			
	40 4F			
8	32 11L		End of row?	
	F5 4L			
9	40 4L			
	L5 6L	from 8, 18		
10	L4 20F			
	40 6L			
11	26 4L		Loop	
	F5 5F	from 8		
12	40 5F			
	L0 21F			
13	36 165F		End of form $E_i E_j$ ?	
	L5 4L			
14	L4 19F			
	40 4L			
15	F5 9F			
	L4 5F		Adjust for end of row	
16	42 4L			
	L1 21F			
17	L4 5F			
	40 4F			
18	22 9L			
	00 F			
	00 165K		Form $E_{ij} p_{ij}$	
0	L1 21F			
	40 4F			
1	41 5F			
	L5 9F			
2	46 5L			
	L5 12F		Set address and tests	

LOCATION	ORDER		NOTES	PAGE 8	K 4
3	42 52				
	L5 16F				
4	22 4L				
	40 7L				Waste
5	50 ( )F	by 2 from 12			
	75 ( )F	by 3, 10			$E_{ij} p_{ij} \times 10^6 \times 2^{-39}$
6	S5 F				
	26 7L				Waste
7	L4 ( )F	by 4, 11			
	40 ( )F	"			$\sum E_{ij} p_{ij} \times 10^6 \times 2^{-39}$
8	F5 4F				
	40 4F				
9	32 12L				End of row?
	F5 5L	from 17			
10	40 5L				Adjust if row not complete
	L5 7L				
11	L4 20F				
	40 7L				
12	26 5L				Loop
	F5 5F	from 9			
13	40 5F				
	L0 21F				
14	36 183F				$E_{ij} p_{ij}$ complete?
	L1 21F				
15	L4 5F				Adjust if row complete
	40 4F				
16	L5 5L				
	L4 19F				
17	40 5L				
	22 9L				
	00 183K				Form $E_{j i} p_{ij}$
0	L5 17F				
	40 7L				
1	F5 9F				
	42 5L				
2	L5 12F				
	46 5L				Set addresses and tests

LOCATION	ORDER		NOTES	PAGE 9	K 4
3	L1 21F				
	40 4F				
4	41 5F				
	26 5L				
5	50 ( )F	by 2, 10, from 12'			
	75 ( )F	by 1, 10		$\sum E_j p_{ij} \times 10^6 \times 2^{-39}$	
6	S5 F				
	26 7L				
7	L4 ( )F	by 0, 12			
	40 ( )F	"		$\sum E_j p_{ij} \times 10^6 \times 2^{-39}$	
8	F5 4F				
	40 4F				
9	36 13L				End of row?
	L5 5L	from 18			
10	L4 20F				
	40 5L				
11	L5 7L				Adjust; row not complete
	L4 20F				
12	40 7L				
	26 5L				Loop
13	F5 5F	from 9			
	40 5F				
14	L0 21F				
	36 19L				$E_j p_{ij}$ complete?
15	L1 21F				
	L4 5F				Adjust, row complete
16	40 4F				
	L5 9F				
17	L4 5F				
	42 5L				
18	22 9L				
	00 F				
19	F5 8F				
	40 8F				
20	L0 24F				
	34 999F				Ready for print sums?
21	26 74F				Loop to read another group
	00 F				

LOCATION	ORDER	NOTES	PAGE 10 K 4
22	24 74F	Bypass score print with WS	
	L5 25L		
23	40 131F		
	L5 26L	Establish print bypass	
24	40 137F		
	26 74F		
25	22 131F		
	F5 7F		
26	40 129F		
	22 105F		
	26 205N	Orders to be planted for bypass	
[Spaces - Data inserted here.]			
	00 35K		
	Routine R 1		
	00 74K		
0	K5 F	Rectangular matrix S-R	
	42 13L		
1	F5 13L		
	42 7L	Plant links	
2	42 10L		
	01 7F		
3	01 12F		
	40 15L	Store test	
4	F5 17L		
	40 17L		
5	LO 15L		
	36 11L	Matrix complete?	
6	L5 16L		
	LO 17L		
7	22 7L	Waste	
	36 ( )F by 1	Line feed? link	
8	92 131F		
	92 515F		
9	L5 16L	Adjust line feed test	
	L4 14L		
10	40 16L		
	26 ( )F by 2	Link	

LOCATION	ORDER		NOTES	PAGE 11
11	92 135F	from 5'		
	41 17L			
12	L5 14L		Reset line feed test	
	L0 18F			
13	40 16L			
	22 ( )F	by 0	Link	
14	00 F			
	00 6F			
15	00 F		Test	
	00 ( )F	by 3		
16	00 F			
	00 (5)F	by 10, 13		
17	00 F			
	00 ( )F		Count	
	00 92K		Print sums (overwritten)	
0	92 135F			
	92 259F			
1	92 706F		S	
	92 450F		U	
2	92 643F		M	
	92 963F		space	
3	92 194F		E	
	92 131F			
4	92 707F			
	L5 ( )F	by 9, 50, from 10		
5	50 74F			
	50 5L			
6	26 45F		To P 1	
	92 963F			
7	50 ( )F	by 47		
	50 7L			
8	26 74F		To matrix routine	
	22 10L		when all sum E's printed	
9	F5 4L	from S-R	Adjust address	
	40 4L			
10	22 4L		Loop	
	92 259F	from 8'		

LOCATION	ORDER		NOTES	PAGE 12
11	92 706F		S	K 4
	92 450F		U	
12	92 643F		M	
	92 963F		space	
13	92 194F		E	
	92 963F		space	
14	92 706F		S	
	92 66F		Q	
15	92 131F			
	92 707F			
16	50 45L	from 22		
	7J ( )F	by 21, 51	$\sum E_{ij}^2 \times 10^3 \times 2^{-39}$	
17	50 96F			
	50 17L			
18	26 45F		To P 1	
	26 19L		Waste	
19	50 ( )F	by 471		
	50 19L			
20	26 74F		To Rectangular Matrix S-R	
	22 22L		where all sum E S Q's printed	
21	F5 16L	from S-R	Adjust address	
	40 16L			
22	26 16L		and loop	
	92 259F	from 20'		
23	92 706F		S	
	92 450F		U	
24	92 643F		M	
	92 963F		space	
25	92 2F		P	
	92 131F			
26	92 707F			
	L5 ( )F	by 31, 52, from 32		
27	50 63F			
	50 27L			
28	26 45F		To P 1	
	92 967F	from S-R		
29	50 ( )F	by 49		
	50 29L			

LOCATION	ORDER		NOTES	PAGE 13
30	26 74F			
	22 32L	from S-R		
31	F5 26L	from S-R		
	40 26L			
32	22 26L			
	92 259F	from 30'		
33	92 706F		S	
	92 450F		U	
34	92 643F		M	
	92 963F		space	
35	92 2F		P	
	92 963F		space	
36	92 706F		S	
	92 66F		Q	
37	92 131F			
	92 707F			
38	50 45L	from 44		
	7J ( )F	by 43, 53	$\Sigma p_{ij}^2 \times 10^3 \times 2^{-39}$	
39	50 63F			
	50 39L			
40	26 45F		To P 1	
	92 967F			
41	50 ( )F	by 491		
	50 41L			
42	26 74F		When all $\Sigma p^2$ punched	
	24 999F	from S-R	Last time only	
43	F5 38L	from S-R	Except last time	
	40 38L		Adjust address and loop	
44	26 38L			
	00 F			
45	00 F		Waste	
	00 10 0000 0000 J		$10^{-3}$	
46	F5 21F		Set program parameter	
	00 20F		for rectangular	
47	46 7L		matrix routine - Interlude	
	46 19L			
48	L5 22F			
	00 20F			

LOCATION	ORDER		NOTES	PAGE 14
49	46 29L			
	46 41L			
50	L5 10F			
	42 4L			
51	L5 11F			
	42 16L			
52	L5 13F			
	42 26L			
53	L5 14F			
	42 38L			
54	24 0L			
	26 999F			
	26 138N			
	00 30K - 00F 001 000F			
	00 92K			
			Set up for correlation (adjust for bias)	
0	41 5F			
	40 5F			
1	L0 21F			
	40 4F			
2	L5 ( )F	by 40, 48		
	L0 ( )F	by 4, 53		
3	40 25F			
	F5 2L			
4	40 2L			
	50 24F			
5	71 30F			
	00 39F			
6	L4 ( )F	by 8, 42, 50		
	L4 ( )F	by 8, 54		
7	40 26F			
	L5 6L			
8	L4 20F			
	40 6L			
9	L5 ( )F	by 44, 51		
	L4 ( )F	by 12, 56		
10	L0 ( )F	by 13, 59		
	L0 ( )F	by 13, 59		

LOCATION	ORDER	NOTES	PAGE 15
11	40 27F		K 4
	F5 9L		
12	40 9L		
	L5 10L		
13	L4 20F		
	40 10L		
14	50 24F		
	75 30F		
15	S5 F		
	40 F		
16	L1 ( )F	by 23', 42, 50	
	L0 ( )F	by 23', 54	
17	00 1F		
	L4 F		
18	40 F		
	50 F		
19	75 30F		
	00 39F		
20	L4 ( )F	by 25, 45, 52	
	L4 ( )F	by 25, 61	
21	L4 ( )F	by 26', 61	
	L4 ( )F	by 26', 56	
22	40 28F		
	L5 16L		
23	L4 20F		
	40 16L		
24	L5 20L		
	L4 20F		
25	40 20L		
	L5 21L		
26	L4 20F		
	40 21L		
27	L1 ( )F	by 41, 49	
	L4 ( )F	by 33, 55	
28	40 F		
	50 F		
29	75 30F		
	00 39F		

Adjust addresses

$$\sum Y^2 = \sum E_j^2 - 2\sum E_j + 2\sum E_j p_{ij} + N - 2\sum p_{ij} + \sum p_{ij}^2$$

Adjust addresses

$$\sum XY = \sum E_i E_j - \sum E_i + \sum E_i p_{ij} - \sum E_j p_{ij} + \sum p_{ij} - \sum p_{ij}^2$$

LOCATION	ORDER	NOTES	PAGE 16
30	L4 ( )F	by 35, 58	
	L4 ( )F	by 35, 60	
31	LO ( )F	by 36, 62	
	LO ( )F	by 36, 57	
32	40 29F		
	L5 27L		
33	L4 18F		
	40 27L		
34	L5 30L		
	L4 20F	Adjust addresses	
35	40 30L		
	L5 31L		
36	L4 20F		
	40 31L		
37	26 14OF	To correlation routine	
	F5 4F	from 171F	End of row?
38	40 4F		
	32 39L		
39	26 2L		
	L5 2L		
40	L4 19F		
	40 2L		
41	46 27L		
	L4 19F		Reset addresses at end of row
42	46 6L		
	46 16L		
43	L5 9L		
	L4 19F		
44	40 9L		
	L4 19F		
45	46 20L		
	F5 5F		
46	40 5F		
	LO 21F		Adjust row length test
47	40 4F		
	26 2L	Loop	
48	L5 10F	from 63	
	46 2L		

LOCATION	ORDER	NOTES	PAGE 17
49	46 27L L4 19F		K 4
50	46 6L 46 16L		
51	L5 11F 46 9L		
52	L4 19F 46 20L		
53	L5 13F 42 2L		
54	42 6L 42 16L		
55	42 27L L5 14F		
56	42 9L 42 21L	Interlude to set initial addresses	
57	42 31L L5 15F		
58	46 30L L5 16F		
59	46 10L 42 10L		
60	42 30L L5 17F		
61	42 20L 46 21L		
62	46 31L 26 999F		
63	22 63L 26 48L 26 1N 00 74K	Waste Triangular matrix routine	
0	K5 F 42 9L		
1	F5 9L 42 10L	Establish links	

LOCATION	ORDER		NOTES	PAGE 18	K 4
2	L5 21F				
	LO 12L				
3	40 13L				
	F5 11L				
4	40 11L				
	LO 13L				
5	36 6L		Row test		
	26 10L				
6	41 11L				
	92 131F				
7	92 770F				
	92 135F		"N"		
8	F5 12L				
	40 12L				
9	LO 21F				
	32 ( )F	by 0	Matrix complete?		
10	92 131F	from 5			
	26 ( )F	by 1	Link		
11	00 F		Punch count		
	00 F				
12	00 F		Row count		
	00 F				
13	00 F		Length of row test		
	00 ( )F	by 3			
	00 140K		Correlation routine		
0	50 25F				
	7J 32L				
1	40 25F				
	50 26F				
2	7J 32L				
	40 26F				
3	50 27F				
	7J 31L		Scaling		
4	40 27F				
	50 28F				
5	7J 31L				
	40 28F				

LOCATION	ORDER	NOTES	PAGE 19 K 4
6	50 29F 7J 31L		
7	40 29F 50 25F		
8	75 25F S5 F		
9	40 1F 41 F	$(\Sigma x)^2 \times 10^4 \times 2^{-39}$ Clear zero for square root	
10	50 27F 75 24F		
11	S5 F L0 1F	$[N\Sigma x^2 - (\Sigma x)^2] \times 10^4 \times 2^{-39}$	
12	00 1F 50 12L		
13	26 35F 40 6F	from S-R To square root $N\Sigma x^2 - (\Sigma x)^2 \times 10^2 \times 2^{-19}$	
14	50 26F 75 26F		
15	S5 F 40 1F	$\Sigma y^2 \times 10^4 \times 2^{-39}$	
16	50 28F 75 24F		
17	S5 F L0 1F	$[N\Sigma y^2 - (\Sigma y)^2] \times 10^4 \times 2^{-39}$	
18	00 1F 50 18L		
19	26 35F 40 1F	$N\Sigma y^2 - (\Sigma y)^2 \times 10^2 \times 2^{-19}$	
20	50 1F 7J 6F	$N\Sigma x^2 - (\Sigma x)^2$	
21	40 6F 50 25F	$N\Sigma y^2 - (\Sigma y)^2 \times 10^4 \times 2^{-38}$	
22	75 26F S5 F		
23	40 25F 50 29F	$\Sigma x\Sigma y \times 10^4 \times 2^{-39}$	

LOCATION	ORDER		NOTES	PAGE 20
24	75 24F			K 4
	S5 F			
25	LO 25F			
	66 6F		$(N\sum XY - \sum X \sum Y) \times 10^4 \times 2^{-39}$	
26	S5 F		r/2	
	00 1F		r	
27	52 57F			
	50 27L			
28	26 45F		To P 1	
	50 28L	from P 1		
29	26 74F		To triangular matrix routine	
	0F F	from S-R last time only		
30	22 129F	from S-R except last time	To adjust bias routine	
	00 F			
31	00 F			
	00 10 000 000 000 J	$10^{-2}$		
32	00 F			
	00 100 000 000 000 J	$10^{-1}$		
	26 92N			